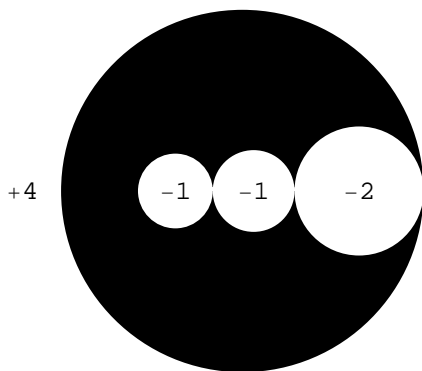


Helaman's 'Pi disk' sculpture was cut from black acrylic to a thousandth of an inch with a cartesian laser robot.

It has area $\pi = (m, x) = (4, -2, -1, -1) \cdot (x_1, x_4, x_5, x_6)$,
 where $X_j = \sum_{k \geq 0} (1/16^k) (1/(8k+j))$



$$\pi = 3.141592653589793\dots$$

$$4 \cdot X_1 = +4.028737905658704\dots$$

$$-2 \cdot X_4 = -0.510825623765990\dots$$

$$-1 \cdot X_5 = -0.205002557636423\dots$$

$$-1 \cdot X_6 = -0.171317070666497\dots$$

$$\pi = \sum_{k \geq 0} \frac{1}{16^k} \left(\frac{4}{(8k+1)} - \frac{2}{(8k+4)} - \frac{1}{(8k+5)} - \frac{1}{(8k+6)} \right)$$

$(-1, 4, 0, 0, -2, -1, -1, 0, 0)$ was discovered by the PSLQ algorithm,
 cf., D. Bailey, J. Borwein, S. Plouffe, Math. of Comp. 66:903-913, 1997,
 H. Ferguson and R. Forcade, Bull. Amer. Math. Soc. 1:912-914, 1979,
 Helaman Ferguson, et al., Math. of Comp. 68:351-369, 1999